

CBC Grade 10 Mathematics

Step-by-Step Presentation Script

Volume in Real-Life

Pre-Class Preparation

Before students arrive, ensure the following materials and setup are ready:

- Materials Needed:
 - Various containers (jerrycan, drum, box, jar if available)
 - Measuring tape or ruler
 - Calculators (one per group)
 - Paper and pencils
 - Exit tickets (one per student)
- Classroom Setup:
 - Prepare board space for formulas and examples
 - Display key inquiry question: "How do we use volume calculations in everyday life?"
 - Place containers at front for demonstration
 - Prepare formula reference chart

Lesson Overview (40 Minutes)

Phase	Duration
Phase 1: Problem-Solving and Discovery	0-15 minutes
Phase 2: Structured Instruction	15-25 minutes
Phase 3: Practice and Application	25-37 minutes
Phase 4: Assessment (Exit Ticket)	37-40 minutes

Minute-by-Minute Presentation Guide

Minutes 0-2: Introduction and Engagement

[SAY] "Good morning, class! Today we explore how volume calculations help us in everyday life. Think about this: How do you know how much water a jerrycan can hold? How does a farmer know if a drum is big enough to store grain?"

[POINT] Show actual jerrycan or drum if available.

[ASK] "Who has helped carry water at home? How did you know the container was full?"

[LISTEN] Expected: By weight, by looking, by measuring

[SAY] "Today you'll learn to calculate exactly how much containers hold using volume formulas. This helps families plan water storage, farmers store grain, and builders estimate materials."

[WRITE] On the board: "Volume in Real-Life"

[WRITE] Key inquiry question: "How do we use volume calculations in everyday life?"

Minutes 2-17: Phase 1 - Anchor Activity (Discovery)

[SAY] "You will investigate different containers to discover how we calculate volume for real-world storage needs."

[DO] Organize students into groups of 2-3.

[DO] Distribute measuring tools, calculators, paper, and pencils.

[SAY] "Task: Think about containers you use at home or school—jerrycans, drums, boxes, jars. For each, identify its shape, estimate or measure dimensions, and calculate volume."

[WRITE] On board: "Shapes: Box ($V = lwh$), Cylinder ($V = \pi r^2 h$), Cone ($V = \frac{1}{3}\pi r^2 h$)"

[DO] Allow 10 minutes for investigation (Minutes 2-12).

[DO] Circulate among groups asking probing questions.

[ASK] "What shape is this container? What measurements do you need?"

[LISTEN] Expected: Length, width, height for box; radius and height for cylinder

[ASK] "Why would a farmer need to know this volume?"

[LISTEN] Expected: To know how much grain fits, to plan storage, to buy right size

[SAY] "Remember to convert centimetres to metres before calculating. Then convert cubic metres to litres by multiplying by 1000."

[DO] Allow 5 minutes for discussion and class sharing (Minutes 12-17).

[SAY] "Let's share. Which container holds the most? Why is knowing volume important?"

[LISTEN] Expected: Largest container, helps plan storage, helps buy right amount, saves money

[SAY] "Excellent! You discovered that volume calculations help us plan storage, transport, and household needs. Let me teach you the systematic approach."

Minutes 17-25: Phase 2 - Structured Instruction

[SAY] "Volume measures how much a container holds. In everyday life, we use it for water storage, grain storage, fuel transport, and construction."

[WRITE] "Volume Applications:"

- • Storage (water tanks)
- • Transport (fuel drums)
- • Household (cooking pots)
- • Farming (irrigation)
- • Construction (concrete)

[SAY] "Different shapes need different formulas. Let me show you the most common ones."

[WRITE] Create formula table on board:

Shape	Formula	Example
Box	$V = l \times w \times h$	Jerrycan
Cylinder	$V = \pi r^2 h$	Drum
Cone	$V = \frac{1}{3} \pi r^2 h$	Funnel
Sphere	$V = \frac{4}{3} \pi r^3$	Ball

[SAY] "CRITICAL: Always use consistent units. Convert centimetres to metres BEFORE calculating. Then convert cubic metres to litres."

[WRITE] "Unit Conversion: $1 \text{ m}^3 = 1000 \text{ litres}$ "

[SAY] "Follow these steps: 1) Identify shape, 2) Convert to metres, 3) Apply formula, 4) Calculate m^3 , 5) Convert to litres."

[WRITE] "Step-by-Step Process:"

1. Identify shape
2. Convert to metres
3. Apply formula
4. Calculate m^3
5. Convert to litres ($\times 1000$)

[TEACHING TIP] Emphasize that unit conversion is a separate, explicit step

Minutes 25-37: Phase 3 - Practice and Application

[SAY] "Now let's apply these formulas to real-world problems."

[EXAMPLE] Example 1: Jerrycan

[WRITE] "A jerrycan is $35 \text{ cm} \times 20 \text{ cm} \times 30 \text{ cm}$. How many litres?"

[SAY] "Step 1: Rectangular box, $V = lwh$ "

[WRITE] " $V = lwh$ "

[SAY] "Step 2: Convert cm to m: $35 \text{ cm} = 0.35 \text{ m}$, $20 \text{ cm} = 0.20 \text{ m}$, $30 \text{ cm} = 0.30 \text{ m}$ "

[WRITE] " $l = 0.35 \text{ m}$, $w = 0.20 \text{ m}$, $h = 0.30 \text{ m}$ "

[SAY] "Step 3: $V = 0.35 \times 0.20 \times 0.30 = 0.021 \text{ m}^3$ "

[WRITE] " $V = 0.021 \text{ m}^3$ "

[SAY] "Step 4: Convert to litres: $0.021 \times 1000 = 21 \text{ litres}$ "

[WRITE] "21 litres"

[EXAMPLE] Example 2: Water Drum

[WRITE] "A drum has radius 0.25 m, height 1.0 m. Volume in litres?"

[SAY] "Step 1: Cylinder, $V = \pi r^2 h$ "

[SAY] "Step 2: Already in metres: $r = 0.25 \text{ m}$, $h = 1.0 \text{ m}$ "

[SAY] "Step 3: $V = \pi \times (0.25)^2 \times 1.0 = \pi \times 0.0625 \approx 0.196 \text{ m}^3$ "

[WRITE] " $V \approx 0.196 \text{ m}^3$ "

[SAY] "Step 4: $0.196 \times 1000 \approx 196 \text{ litres}$ "

[WRITE] "196 litres"

[EXAMPLE] Example 3: Borehole

[WRITE] "Cone-shaped borehole: radius 0.15 m, height 1.2 m. Litres?"

[SAY] "Cone formula: $V = \frac{1}{3}\pi r^2 h$ "

[SAY] " $V = \frac{1}{3} \times \pi \times (0.15)^2 \times 1.2 \approx 0.0283 \text{ m}^3$ "

[WRITE] " $V \approx 0.0283 \text{ m}^3$ "

[SAY] "Convert: $0.0283 \times 1000 \approx 28 \text{ litres}$ "

[WRITE] "28 litres"

[EXAMPLE] Example 4: Composite Solid

[WRITE] "Container: cylinder ($h=1.0\text{m}$, $r=0.3\text{m}$) + cone top ($h=0.5\text{m}$, $r=0.3\text{m}$). Total litres?"

[SAY] "For composite solids, calculate each part separately, then add."

[SAY] "Cylinder: $V = \pi(0.3)^2(1.0) \approx 0.283 \text{ m}^3$ "

[SAY] "Cone: $V = \frac{1}{3}\pi(0.3)^2(0.5) \approx 0.047 \text{ m}^3$ "

[SAY] "Total: $0.283 + 0.047 = 0.330 \text{ m}^3 = 330 \text{ litres}$ "

[WRITE] "330 litres"

[SAY] "Now try these individually:"

[WRITE] "Practice:"

6. 1. Trough: $2.0\text{ m} \times 0.5\text{ m} \times 0.4\text{ m}$. Litres?
7. 2. Drum: radius 0.30 m , height 0.9 m . Litres?
8. 3. Sphere: diameter 1.2 m . Litres?

[DO] Give students 7 minutes (minutes 30-37) for individual practice.

[DO] Circulate to check understanding.

[TEACHING TIP] Remind students to convert units first, then apply formula

Minutes 37-40: Phase 4 - Assessment (Exit Ticket)

[SAY] "Excellent work! Complete this exit ticket to show your understanding."

[DO] Distribute exit tickets.

[SAY] "You have 3 minutes."

[WRITE] Display questions:

Q1: Rectangular tank $1.5\text{ m} \times 1.0\text{ m} \times 0.8\text{ m}$. (a) Volume in m^3 ? (b) Volume in litres?

Q2: Cylindrical container radius 0.4 m , height 1.2 m . Volume in litres?

Q3: Why is knowing volume important? Give two examples.

[DO] Students work silently (minutes 37-40).

[DO] Collect exit tickets.

[SAY] "Great work! You now know how to calculate volume for real-world containers. This helps families plan water storage, farmers store grain, and communities manage resources. Remember: identify shape, convert units, apply formula, convert to litres!"

Teaching Tips and Strategies

Emphasis Points:

- • Unit conversion is a separate, explicit step
- • Always convert cm to m BEFORE calculating volume
- • $1\text{ m}^3 = 1000\text{ litres}$ (memorize this conversion)
- • Match shape to correct formula
- • For composite solids, calculate parts separately then add

Differentiation in Action:

- • For struggling learners: Formula cards, step-by-step templates, simpler numbers, calculator use
- • For advanced learners: Frustums, cost calculations, optimization problems, irregular shapes
- • Use actual containers for visual reference
- • Connect to local contexts (water storage, grain storage)

Common Student Errors:

- • Forgetting to convert cm to m before calculating
- • Mixing up radius and diameter
- • Using wrong formula for shape
- • Forgetting to convert m^3 to litres
- • Not squaring radius in cylinder/cone formulas

Engagement Strategies:

- • Use actual containers students recognize
- • Connect to household water storage needs
- • Reference farming and grain storage
- • Discuss cost savings from accurate volume calculation

Assessment Guidance

Exit Ticket Evaluation Criteria:

- • Correct shape identification
- • Proper unit conversion (cm to m)
- • Accurate formula application
- • Correct m^3 to litres conversion
- • Clear explanation of real-world importance

Mastery Indicators:

- • Student converts units before calculating
- • Student selects correct formula for shape
- • Student calculates volume accurately
- • Student converts m^3 to litres correctly
- • Student explains practical applications

Follow-Up for Students Who Struggle:

- • Provide formula reference card
- • Break unit conversion into separate worksheet
- • Use dimensional analysis template
- • Practice with simpler whole numbers first
- • Focus on boxes and cylinders only initially

Post-Lesson Reflection Questions

After teaching this lesson, reflect on:

- Did students successfully apply volume formulas to real-life problems?
- Were students able to convert between cm and m, then m^3 and litres?
- What misconceptions emerged about units or formulas?
- How engaged were students with the container investigation?
- Did students recognize the practical importance of volume?
- What percentage demonstrated mastery on the exit ticket?
- What adjustments would improve this lesson?